

# Capacitance

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VO1NO



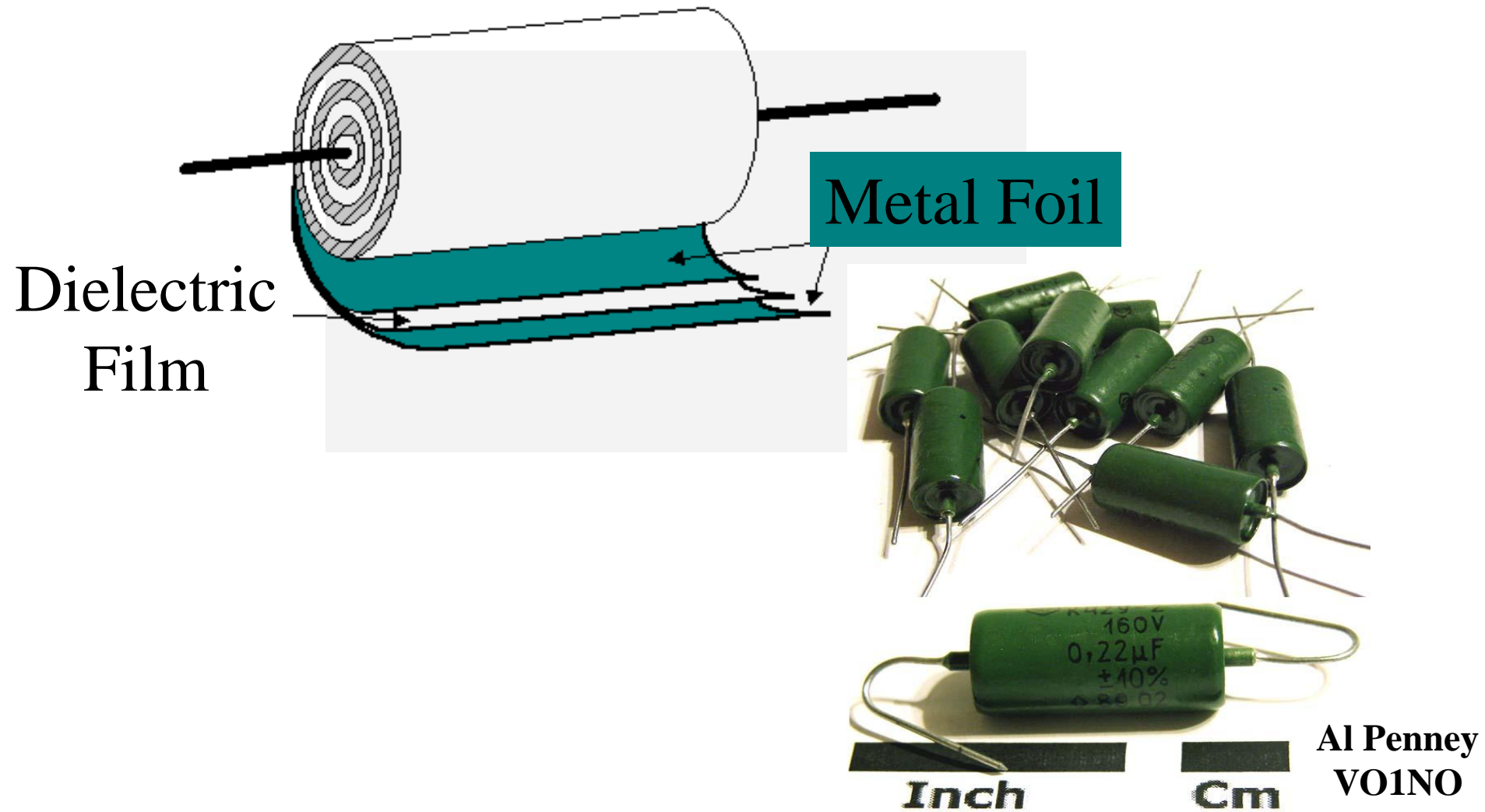
# Capacitance

- **Capacitance** is the property of an electrical circuit that **opposes a change in voltage**.
- When a **voltage** applied across a circuit is **increased or decreased, capacitance resists that change**.

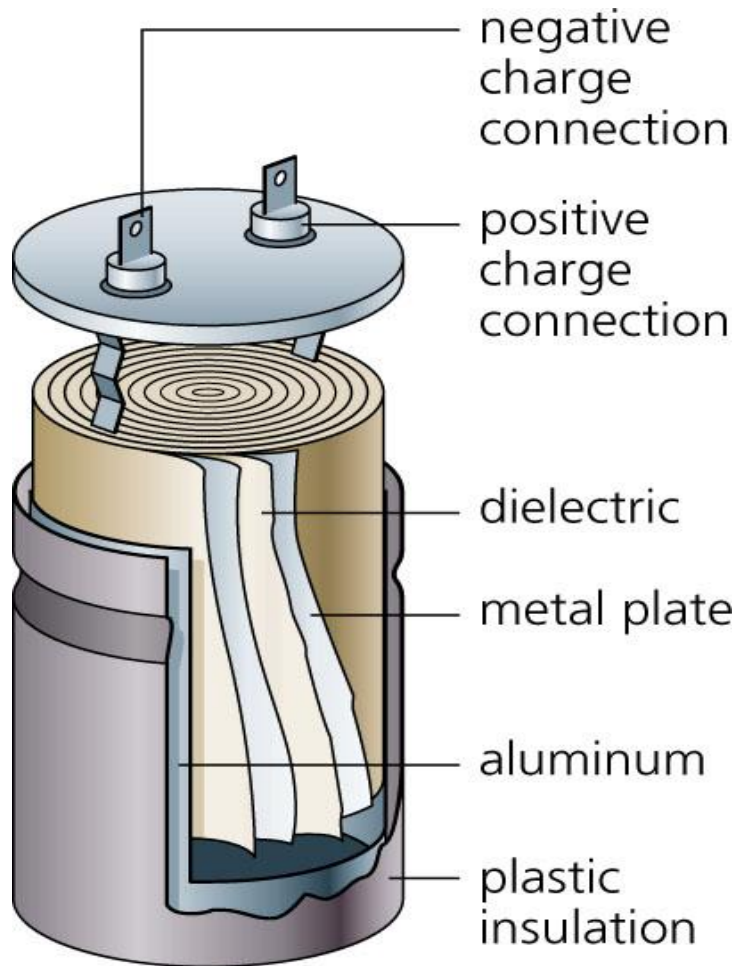
# Construction of a Capacitor

- A basic capacitor consists of **2 conducting metallic plates** separated by a **layer of air or other insulating material** such as glass, mica or even oil.
- The **insulating material** is called the **Dielectric**.

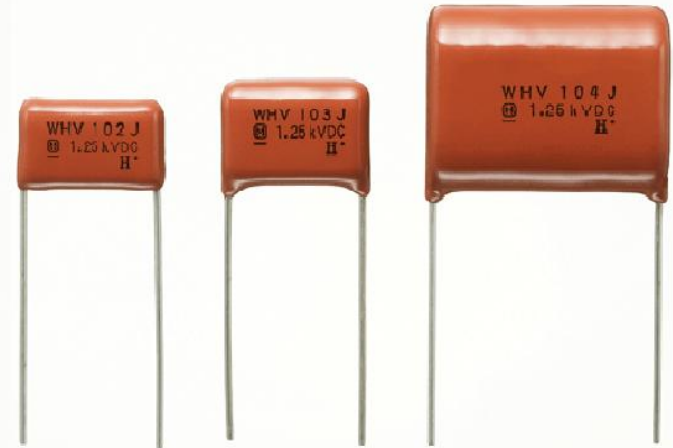
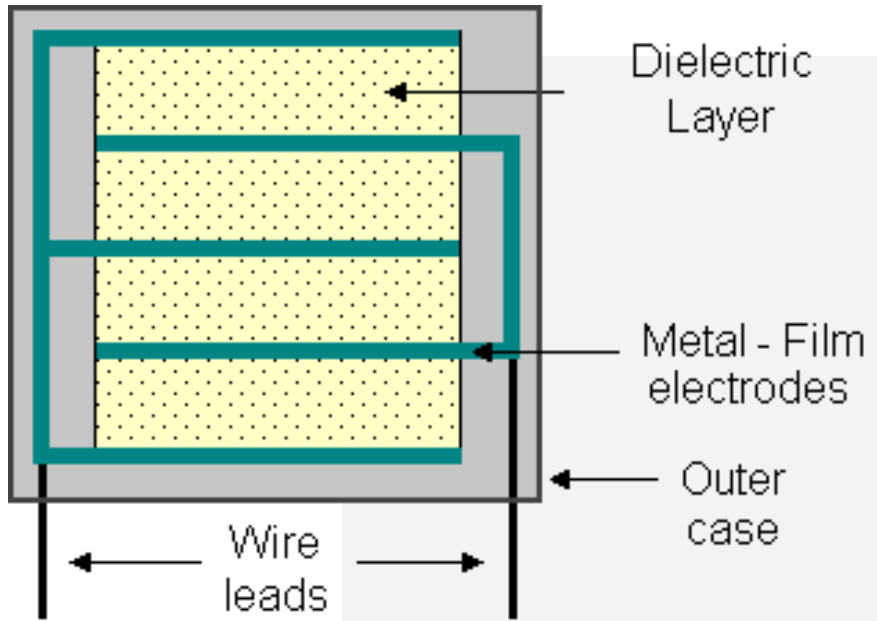
# Axial Lead Capacitor



# Electrolytic Capacitor



# Radial Lead Capacitor

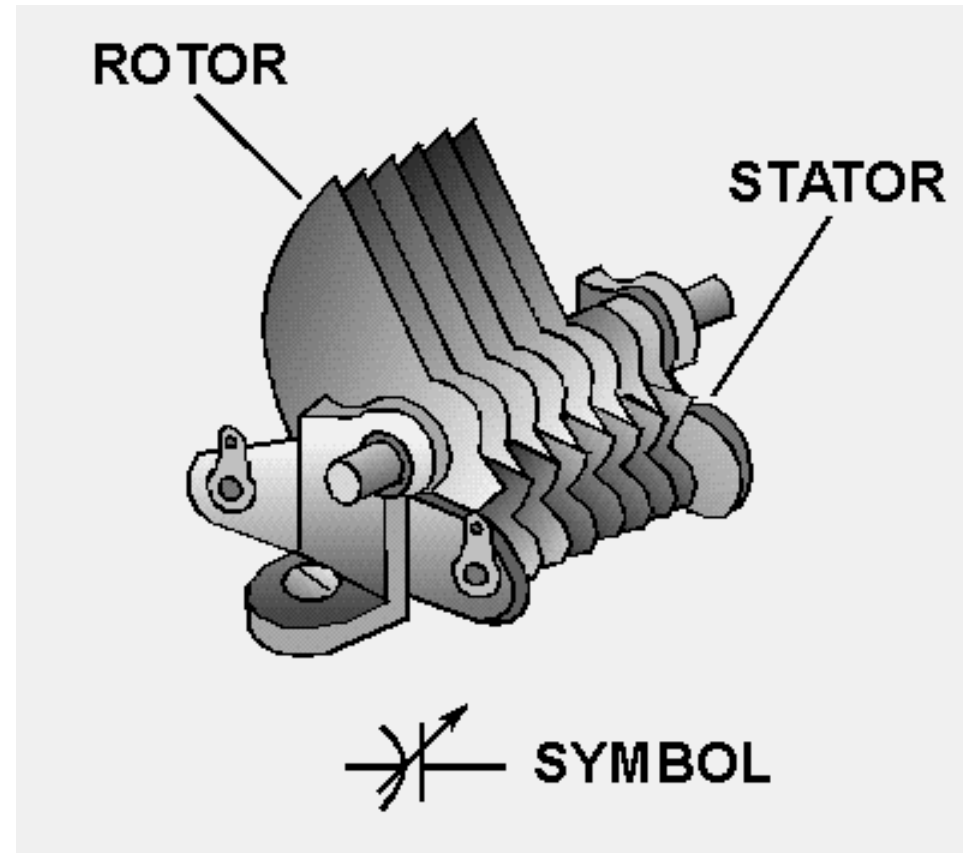


# Ceramic Disc Capacitor



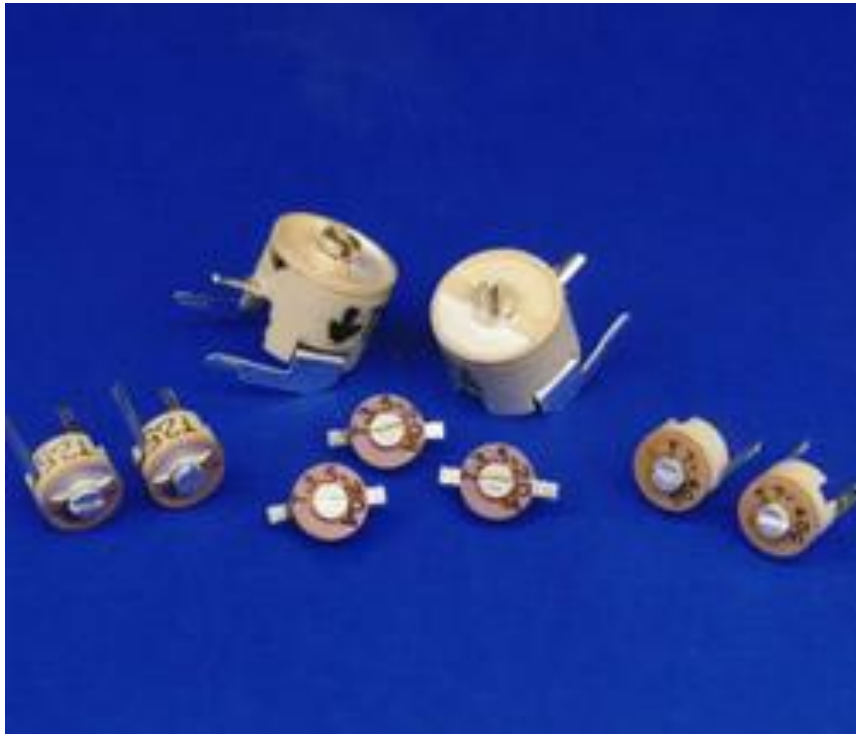


# Variable Capacitor

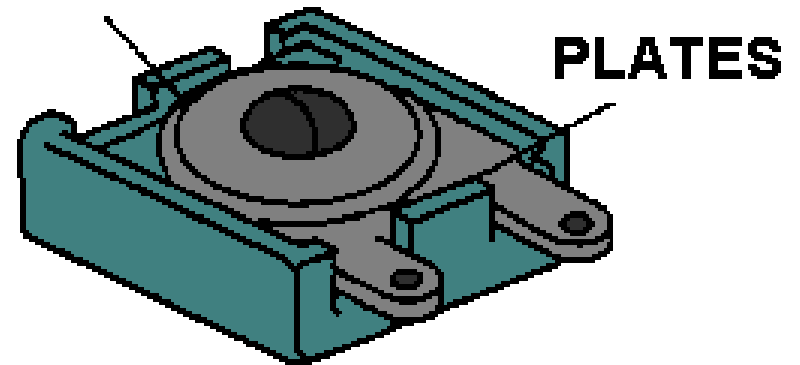




# Trimmer Capacitors

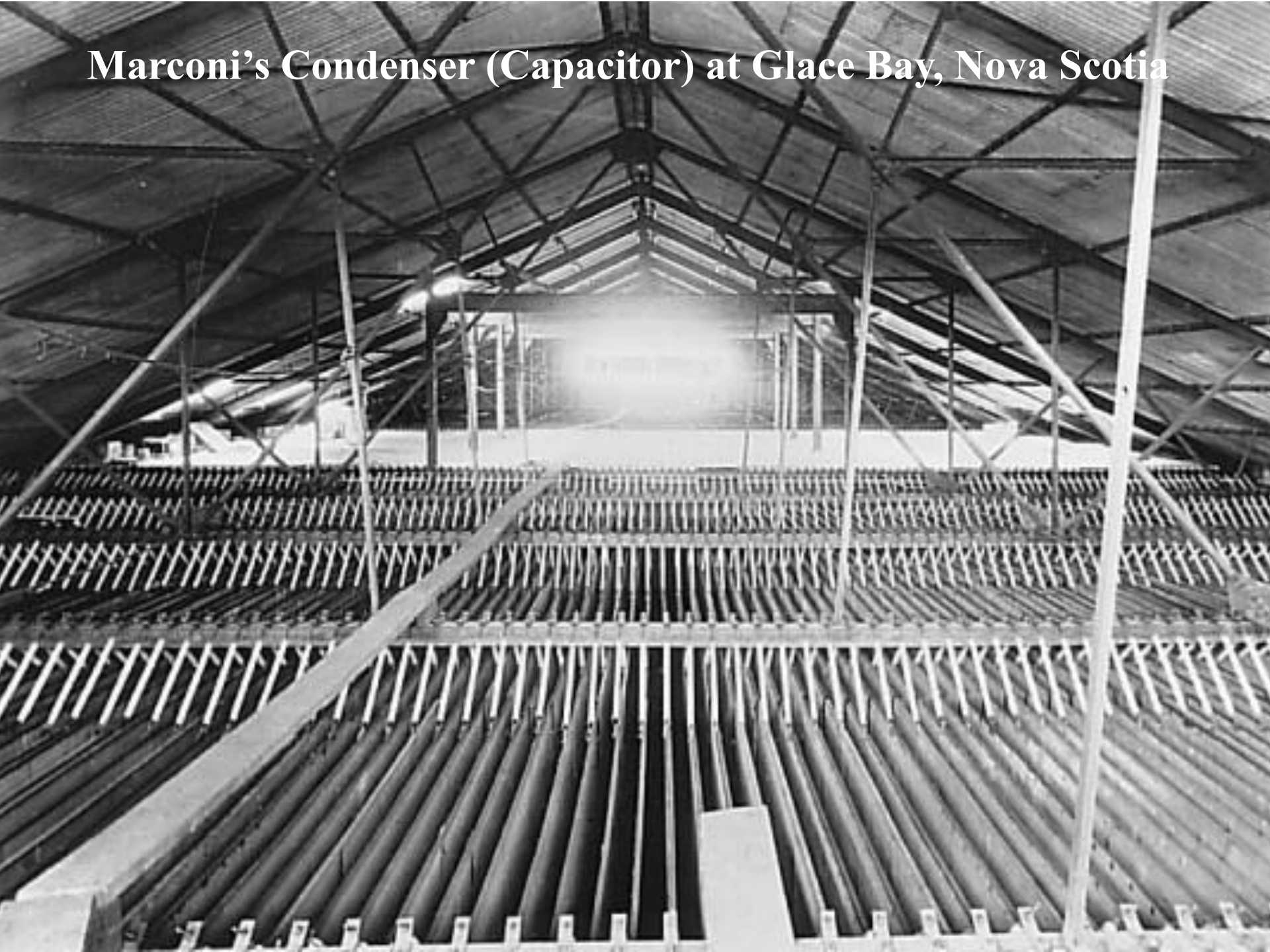


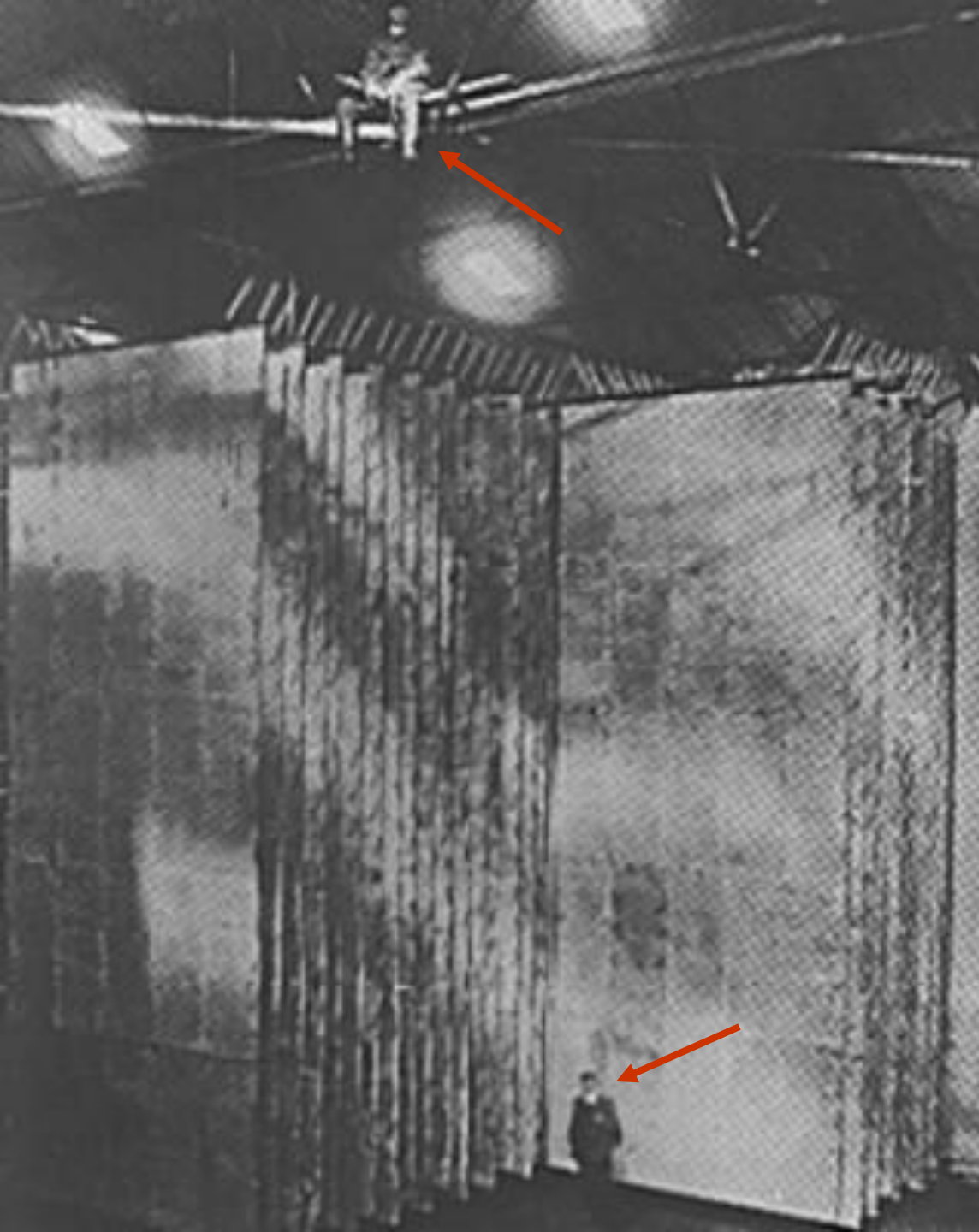
**MICA  
DIELECTRIC**



 **SYMBOL**

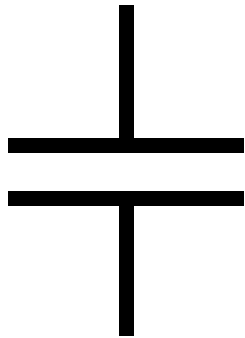
# Marconi's Condenser (Capacitor) at Glace Bay, Nova Scotia



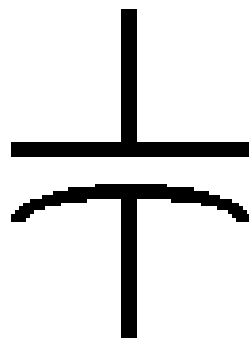


**A similar capacitor at  
Marconi's station in  
Clifden, Ireland. Note  
the size of the two men!**

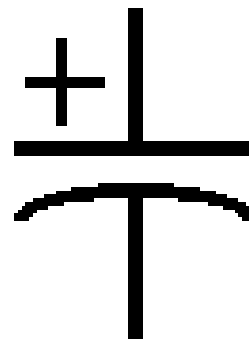
# Capacitor Symbols



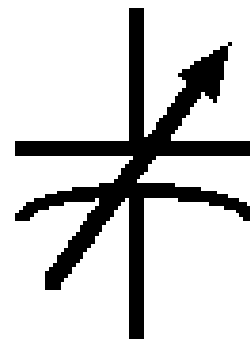
Normal



Normal



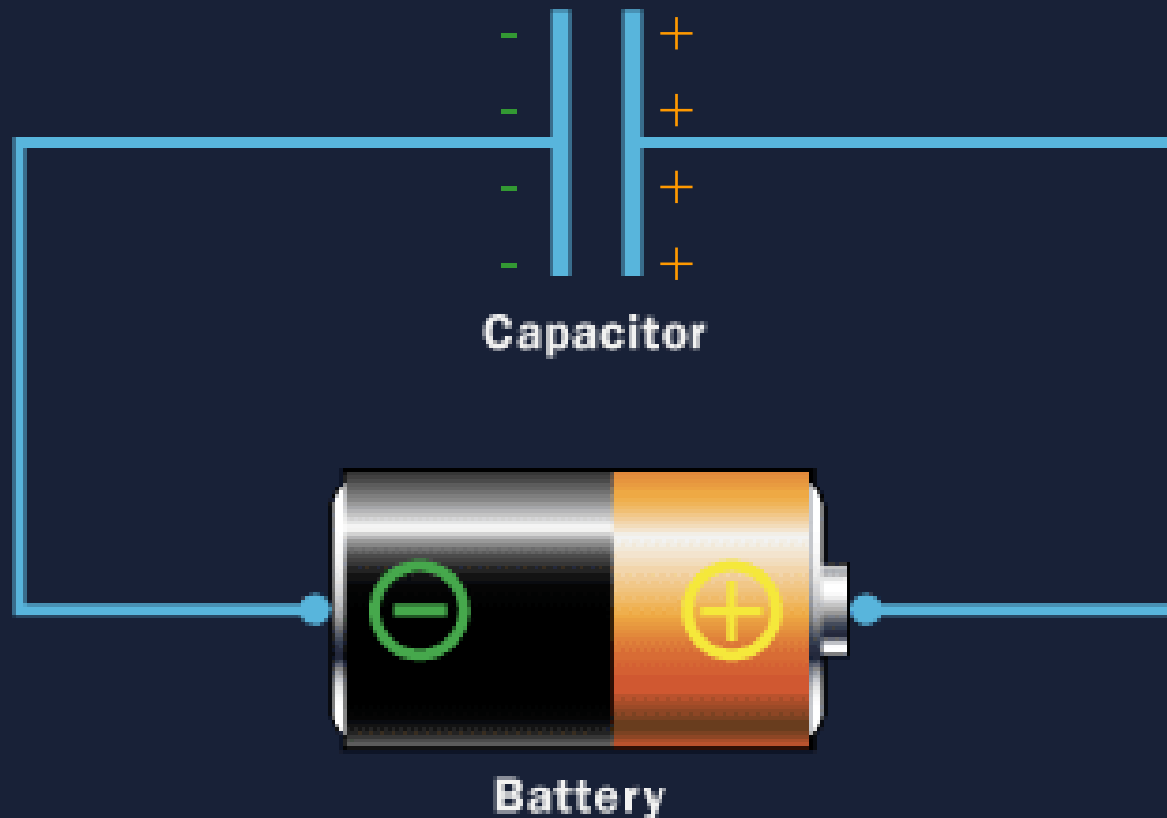
Electrolytic



Variable

# Capacitors in a DC Circuit

How Capacitors Work Basic Configuration



# Capacitors in a DC Circuit

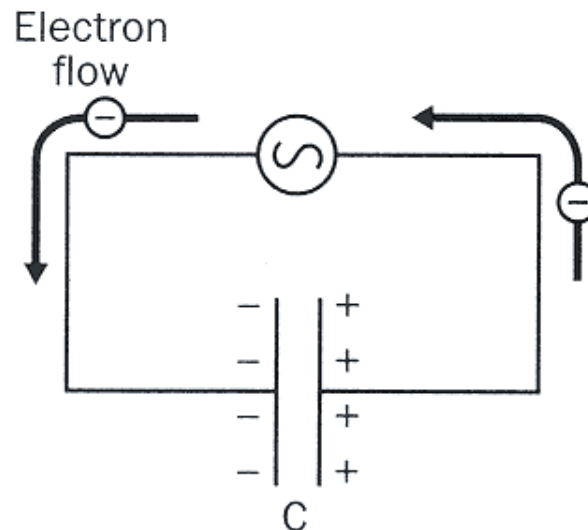
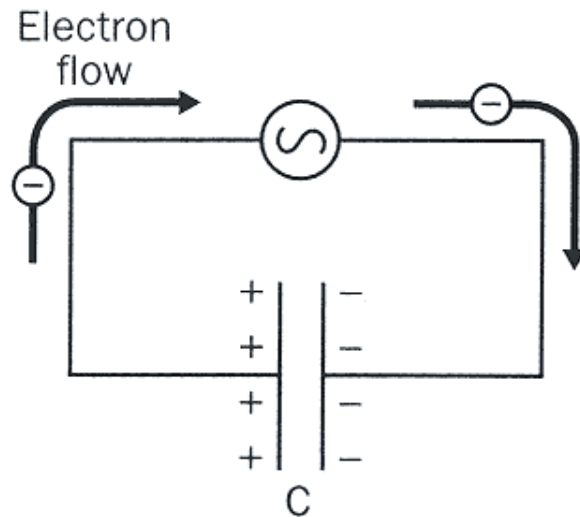
- When **first connected** to a battery, **electrons flow** from the **negative battery terminal** to the **capacitor plate** and remain there because the dielectric prevents them from travelling to the opposite plate.
- **Electrons** on the **opposite plate** are **attracted** to the **positive battery terminal**.
- Eventually, the capacitor reaches the **same voltage** as the battery, and **no more electrons flow**.
- The capacitor is then said to be **Charged**.
- **Capacitors block the flow of DC**.

# Capacitors in an AC Circuit

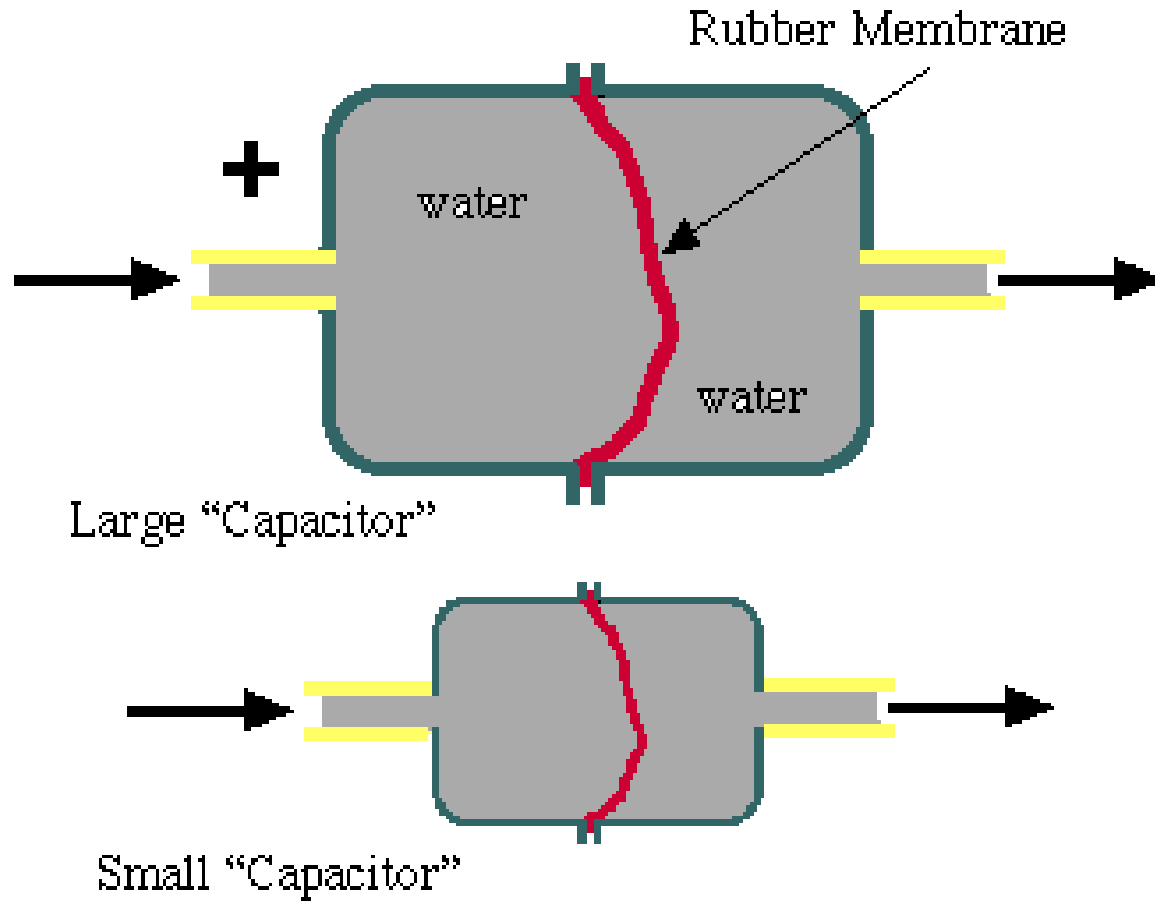
- **Current cannot pass through a capacitor but Alternating Current appears to.**
- **If the voltage across the plates of the capacitor is continuously varied, the number of electrons varies.**
- **As the voltage changes then, it appears as though a current is flowing even though electrons do not actually traverse the dielectric.**



# Capacitors in an AC Circuit



# Water Reservoir Analogy



# Electrons

- **Individual electrons** are **too small** to have an effect in everyday electronics, so we use a **larger number** of them to make **practical measurements**.
- The **Coulomb** is equal to  **$6.3 \times 10^{18}$  electrons** (6,300,000,000,000,000,000 electrons).
- For example, one Ampere = 1 Coulomb per Second.

# The Farad

- The **unit of measure** for capacitance is the **Farad**.
- One **Farad** is the **capacitance** in which a charge of **1 Coulomb** produces a **difference of 1 Volt** between the plates.
- One **Farad** is **much too large** a value for practical circuits however.

# Practical Capacitor Units

- Practical capacitors are measured in:
  - **Microfarads**, or **millionths of a Farad**. They are abbreviated as  $\mu\text{f}$ , and equal to  $1 \times 10^{-6}$  Farads. The old abbreviation was mfd.
  - **Picofarads**, or **millionth millionths of Farads**, are equal to  $1 \times 10^{-12}$  Farads. They are abbreviated as pf. They were originally called Micromicrofarads, and you may still encounter the abbreviation mmf.

# Factors Affecting Capacitance

- **Plate Area:** The larger the plate area, the greater the capacitance.
- **Distance Between the Plates:** The closer together the plates, the greater the capacitance. Of course, it is necessary to prevent the charge from jumping the gap (arcing).
- **Changing the Dielectric:** Greater capacitance can be obtained by using a dielectric other than air. Glass, mica, oil and mylar are some of the materials that have a greater **Dielectric Constant** than air. This is because they **permit the plates to be closer together**, and because they have **electrons that can move slightly**.

# Dielectric Materials

## Relative Dielectric Constants of Common Capacitor Dielectric Materials

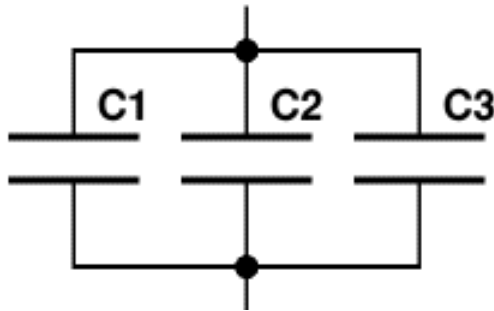
<i>Material</i>	<i>Dielectric Constant (k)</i>	<i>(O)rganic or (I)norganic</i>
Vacuum	1 (by definition)	
Air	1.0006	
Ruby mica	6.5 - 8.7	
Glass (flint)	10	
Barium titanate (class I)	5 - 450	
Barium titanate (class II)	200 - 12000	
Kraft paper	≈ 2.6	O
Mineral Oil	≈ 2.23	O
Castor Oil	≈ 4.7	O
Halowax	≈ 5.2	O
Chlorinated diphenyl	≈ 5.3	O
Polyisobutylene	≈ 2.2	O
Polytetrafluoroethylene	≈ 2.1	O
Polyethylene terephthalate	≈ 3	O
Polystyrene	≈ 2.6	O
Polycarbonate	≈ 3.1	O
Aluminum oxide	≈ 8.4	
Tantalum pentoxide	≈ 28	
Niobium oxide	≈ 40	
Titanium dioxide	≈ 80	

(Adapted from: Charles A. Harper, *Handbook of Components for Electronics*, p 8-7.)



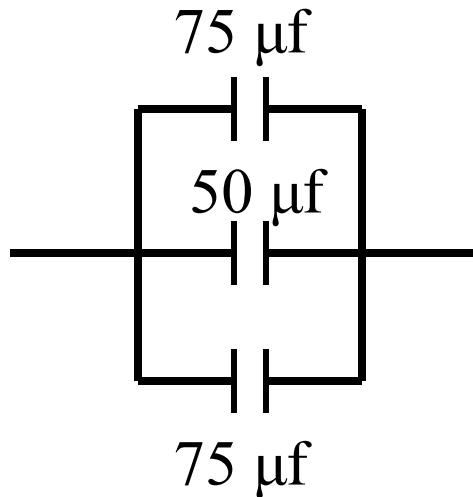
# Capacitors in Parallel

- **Capacitors in Parallel add their values.**
- This is because it is **equivalent** to a **single capacitor** with a **greater surface area**.



$$C_T = C1 + C2 + C3$$

# Example of Capacitors in Parallel



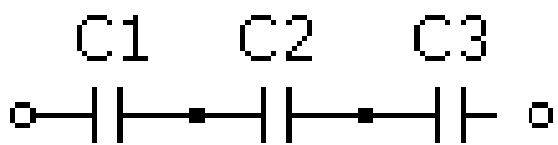
$$C_T = C_1 + C_2 + C_3$$

$$C_T = 75\ \mu\text{f} + 50\ \mu\text{f} + 75\ \mu\text{f}$$

$$C_T = 200\ \mu\text{f}$$

# Capacitors in Series

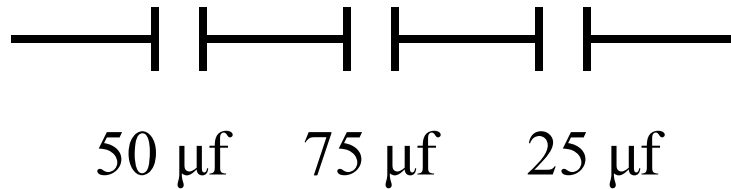
- Capacitors in Series must be treated the same way that resistors and inductors in parallel are treated.



A circuit diagram showing three capacitors, labeled C1, C2, and C3, connected in series between two terminals. Each capacitor is represented by two parallel vertical lines of unequal length. The capacitors are connected in a single line, with the right plate of one capacitor connected to the left plate of the next. The terminals are represented by small circles at the ends of the series chain.

$$C_T = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}}$$

# Example of Capacitors in Series



$$C_T = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}}$$

$$C_T = \frac{1}{\frac{1}{50} + \frac{1}{75} + \frac{1}{25}}$$

$$C_T = \frac{1}{\frac{3}{150} + \frac{2}{150} + \frac{6}{150}}$$

$$C_T = \frac{1}{\frac{11}{150}} = 150/11\mu\text{f} = 13.64\mu\text{f}$$

# Working Voltage

- All capacitors have a **characteristic working voltage**, sometimes called the **voltage rating**.
- It is the **maximum DC voltage** that the capacitor can **sustain continuously** without **excessive leakage** or **breaking down** – ie: having the charge jump from one plate to the other (**arc**).
- **Arcing will destroy most capacitors**. Electrolytics can **self-heal** after small arcs. Even **air-gap variable capacitors** can be **damaged** by arcing.

# Surge Voltage

- **Surge voltage** is the **maximum voltage** that can be **withstood** for a **few seconds** after the start-up of a circuit.
- It was an important parameter for **tube circuits**, but is **not very relevant** for modern solid-state circuits.

# Reactance

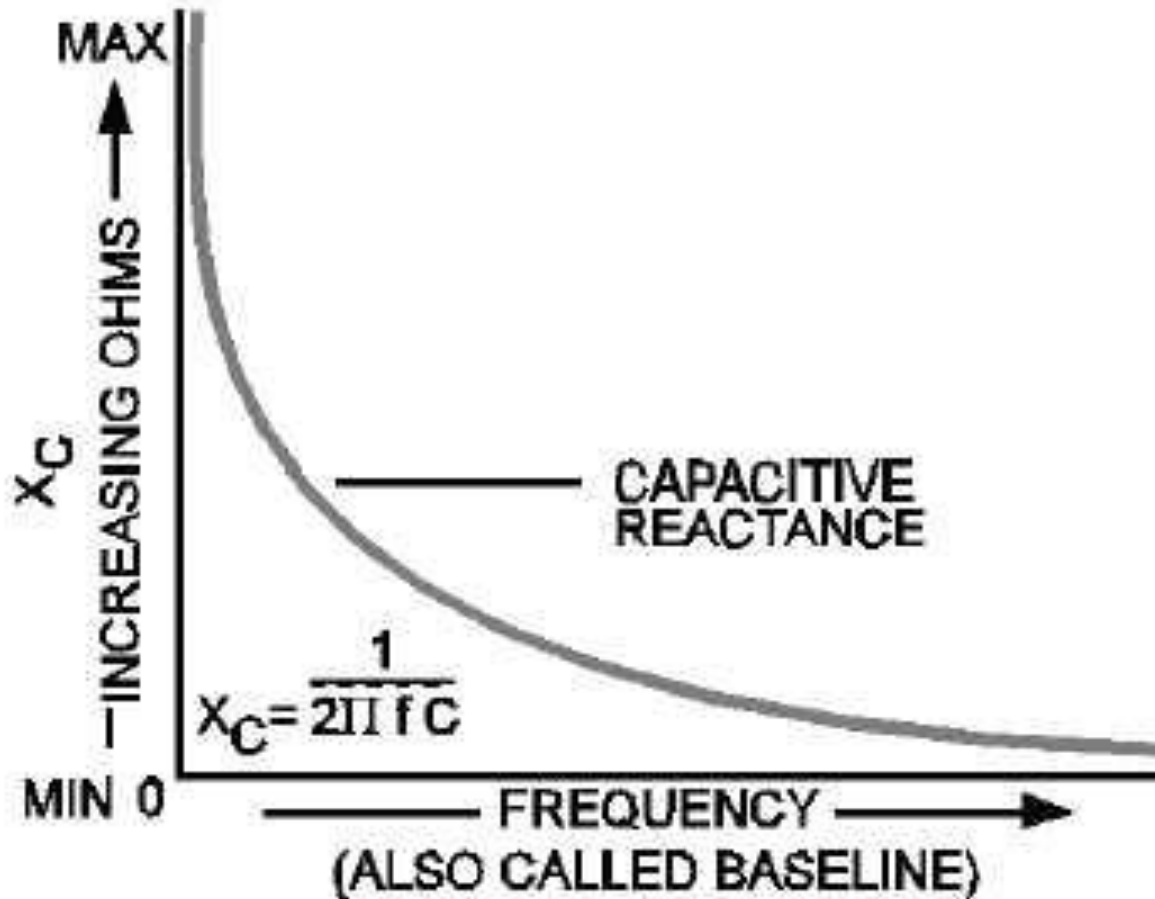
- **Reactance is the opposition to the flow of Alternating Current (AC).**
- **Reactance has no effect on the flow of Direct Current (DC).**



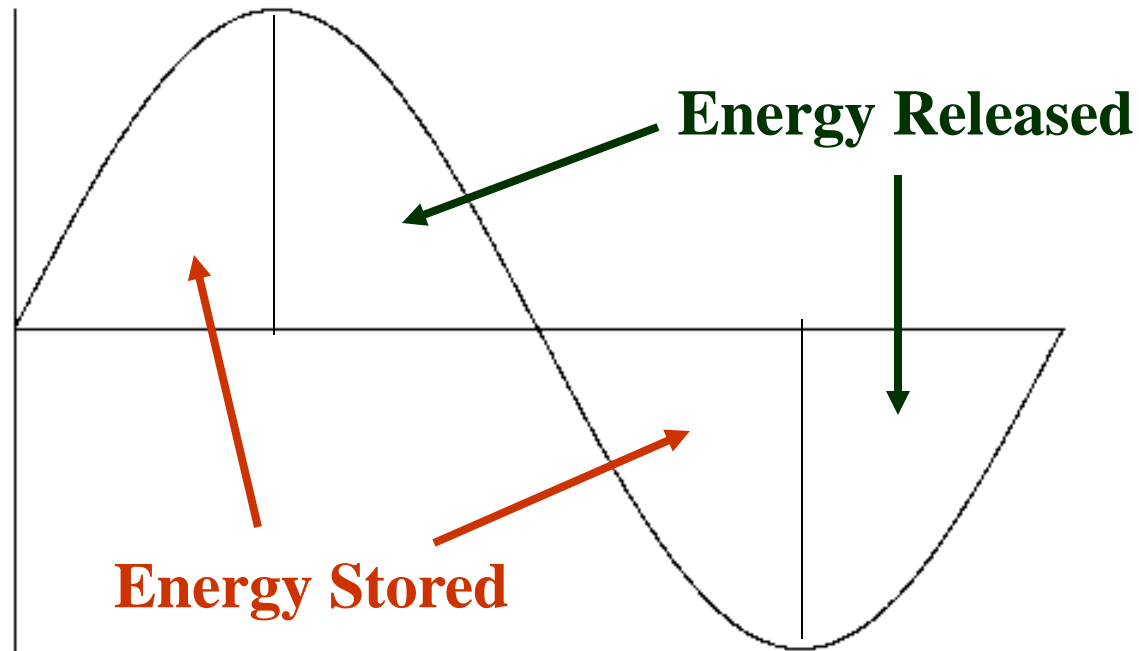
# Capacitive Reactance

- **Capacitive Reactance** is the **opposition** to the **flow of AC** by capacitance.
- As the **frequency of the AC** increases, **Capacitive Reactance** decreases.
- The **Symbol for Capacitive Reactance** is  $X_C$ .
- $X_C$  is expressed in **ohms**.
- Even though it is expressed in ohms, **power is not dissipated by Reactance!** Energy stored in a capacitor during **one part of the AC cycle** is simply returned to the circuit during the **next part of the cycle!**

# Capacitive Reactance



# Energy Storage and Release



# Capacitive Reactance

$$X_C = \frac{1}{2 \pi f C}$$

- Where:

**F = frequency in Hertz**

**C = capacitance in Farads**

**$\pi = 3.14$**

# Capacitive Reactance

$$X_C = \frac{1}{2 \pi f C}$$

**However**, Farads and Hertz are **cumbersome units**, so we can use other units:

**F** = frequency in Megahertz (MHz)

**C** = capacitance in Microfarads ( $\mu\text{f}$ )

$\pi$  = 3.14

# Capacitive Reactance Example 1

- What is the capacitive reactance of a 470 pf capacitor at a frequency of 7.15 MHz?
  - Remember that 470 pf = 0.000470 μf.

$$\begin{aligned}X_C &= \frac{1}{2 \pi f C} \\&= \frac{1}{2 \pi \times 7.15 \text{ MHz} \times 0.000470 \text{ } \mu\text{F}} \\&= \frac{1 \text{ } \Omega}{0.0211} = 47.4 \text{ } \Omega\end{aligned}$$

# Capacitive Reactance Example 2

- What is the capacitive reactance of that same 470 pf capacitor at a frequency of 14.29 MHz?
  - Again, remember that 470 pf = 0.000470  $\mu$ f.

$$\begin{aligned}X_C &= \frac{1}{2 \pi f C} \\&= \frac{1}{2 \pi \times 14.30 \text{ MHz} \times 0.000470 \mu\text{F}} \\&= \frac{1 \Omega}{0.0422} = 23.7 \Omega\end{aligned}$$



# Capacitive Reactance Examples

- Note that as the **frequency increased** from 7.15 MHz to 14.290 MHz, the **Capacitive Reactance decreased** from 47.4 ohms to 23.7 ohms.
- **Remember:**
  - **Capacitors block DC;**
  - **Capacitors store energy** as an electrical charge; and
  - **As the frequency increases, capacitive reactance decreases (and vice versa!).**

# Questions?

