

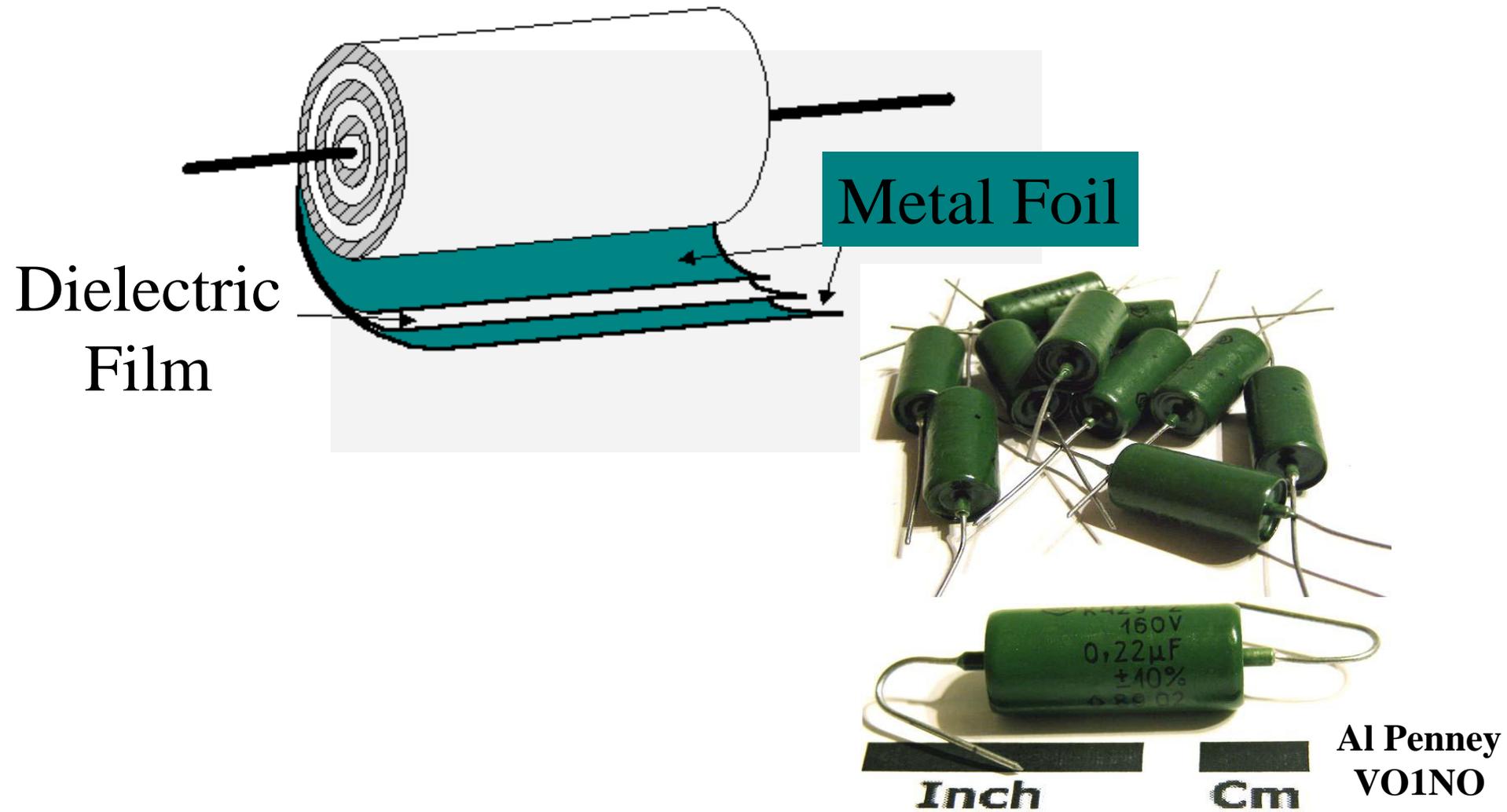
Capacitance

- **Capacitance** is the property of an electrical circuit that **opposes a change in voltage**.
- When a **voltage** applied across a circuit is **increased or decreased, capacitance resists that change**.

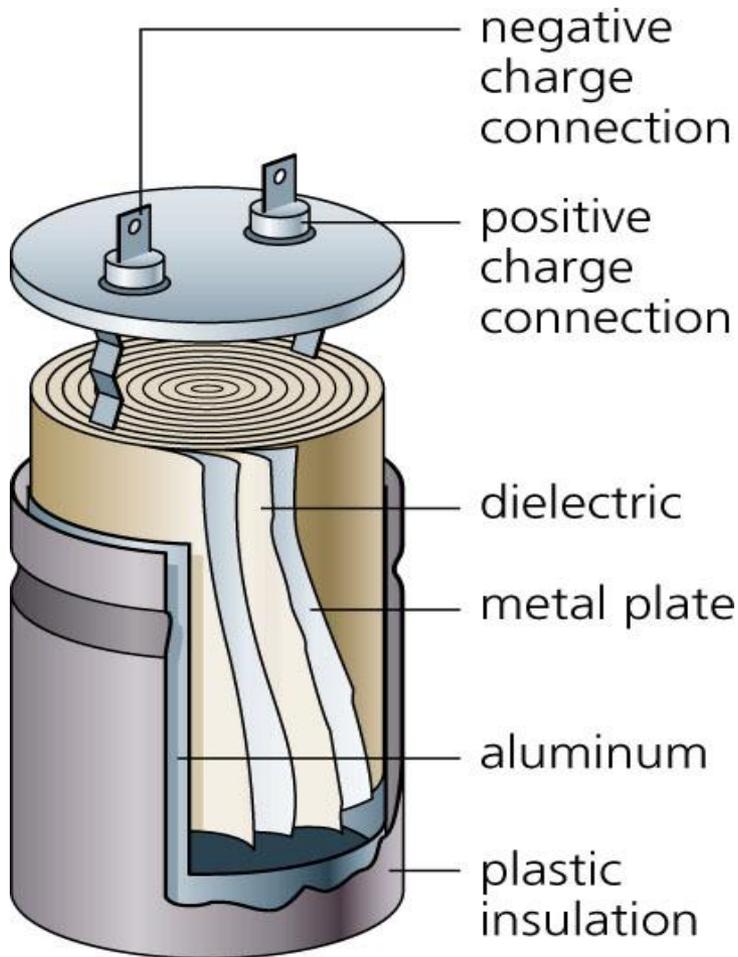
Construction of a Capacitor

- A basic capacitor consists of **2 conducting metallic plates** separated by a **layer of air or other insulating material** such as glass, mica or even oil.
- The **insulating material** is called the **Dielectric**.

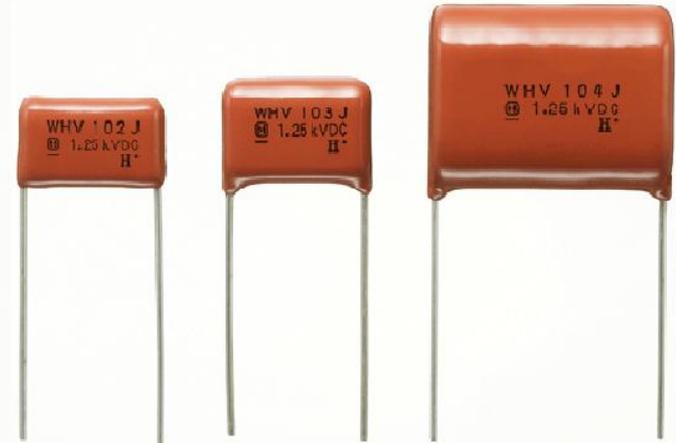
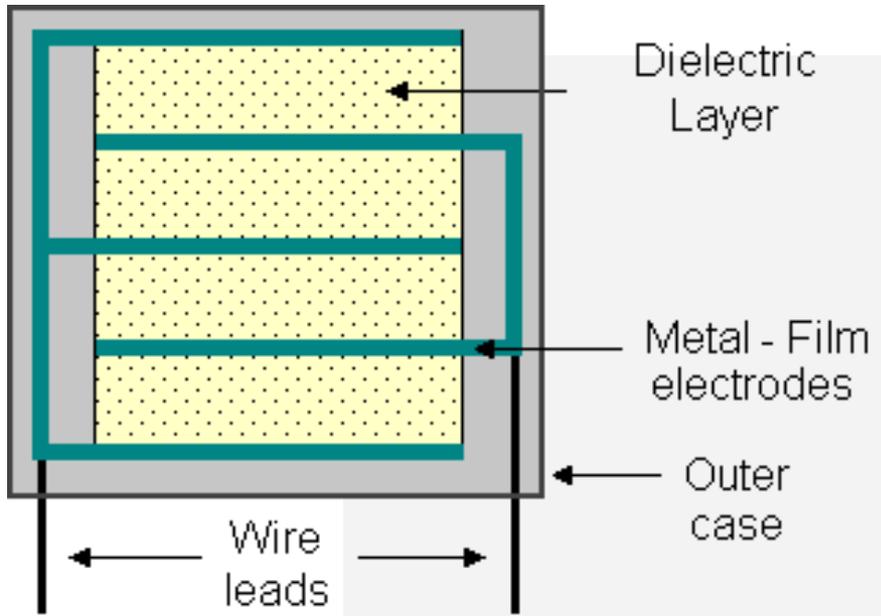
Axial Lead Capacitor



Electrolytic Capacitor



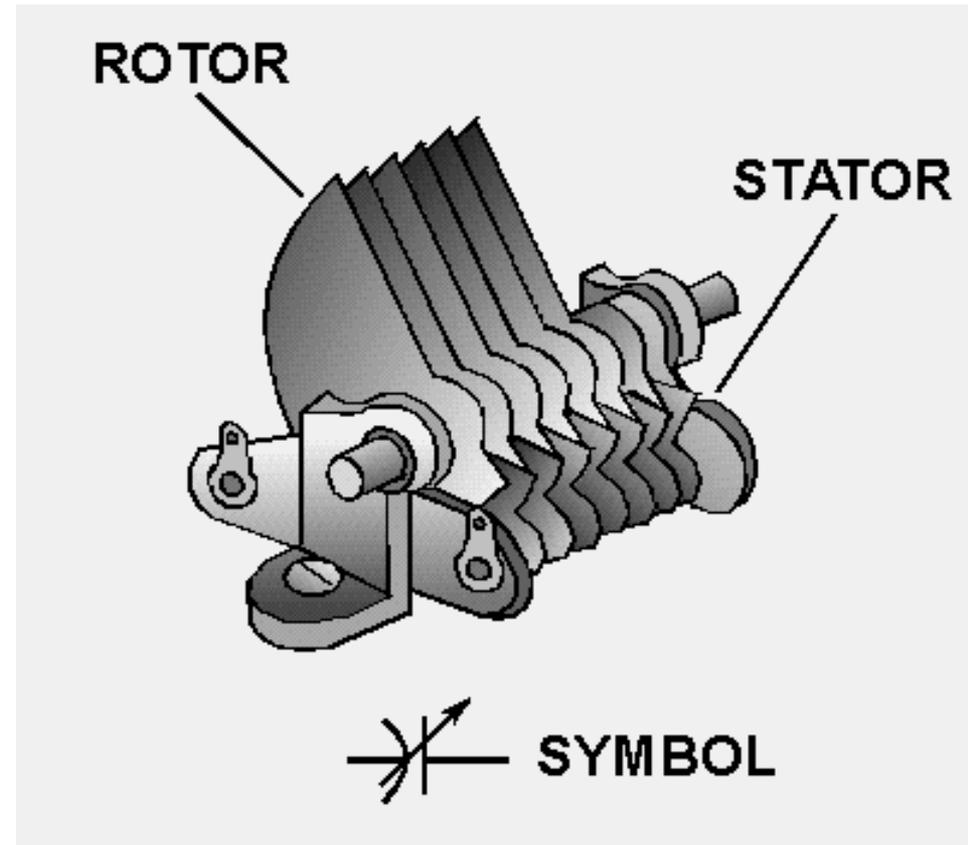
Radial Lead Capacitor



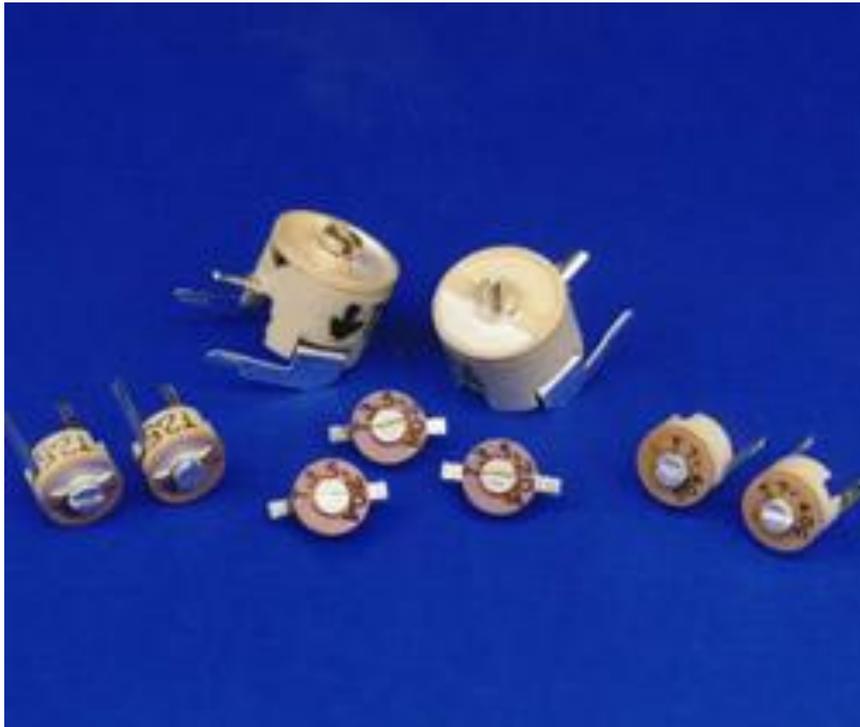
Ceramic Disc Capacitor



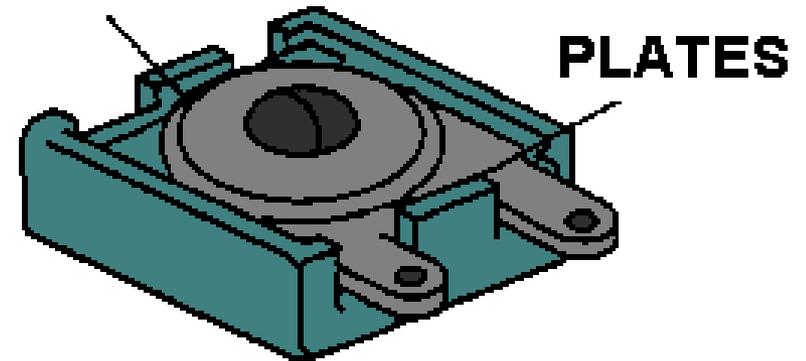
Variable Capacitor

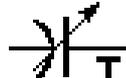


Trimmer Capacitors

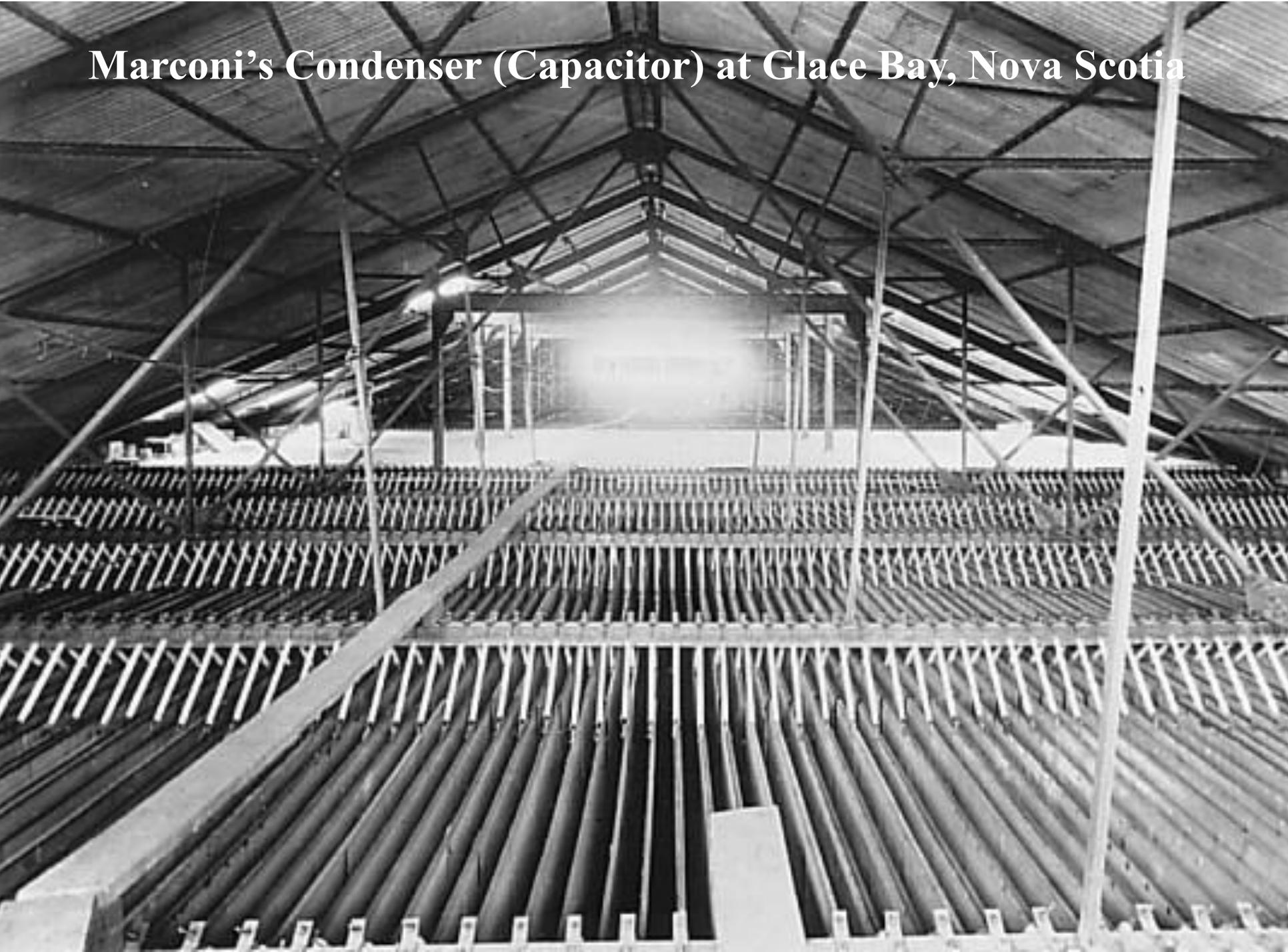


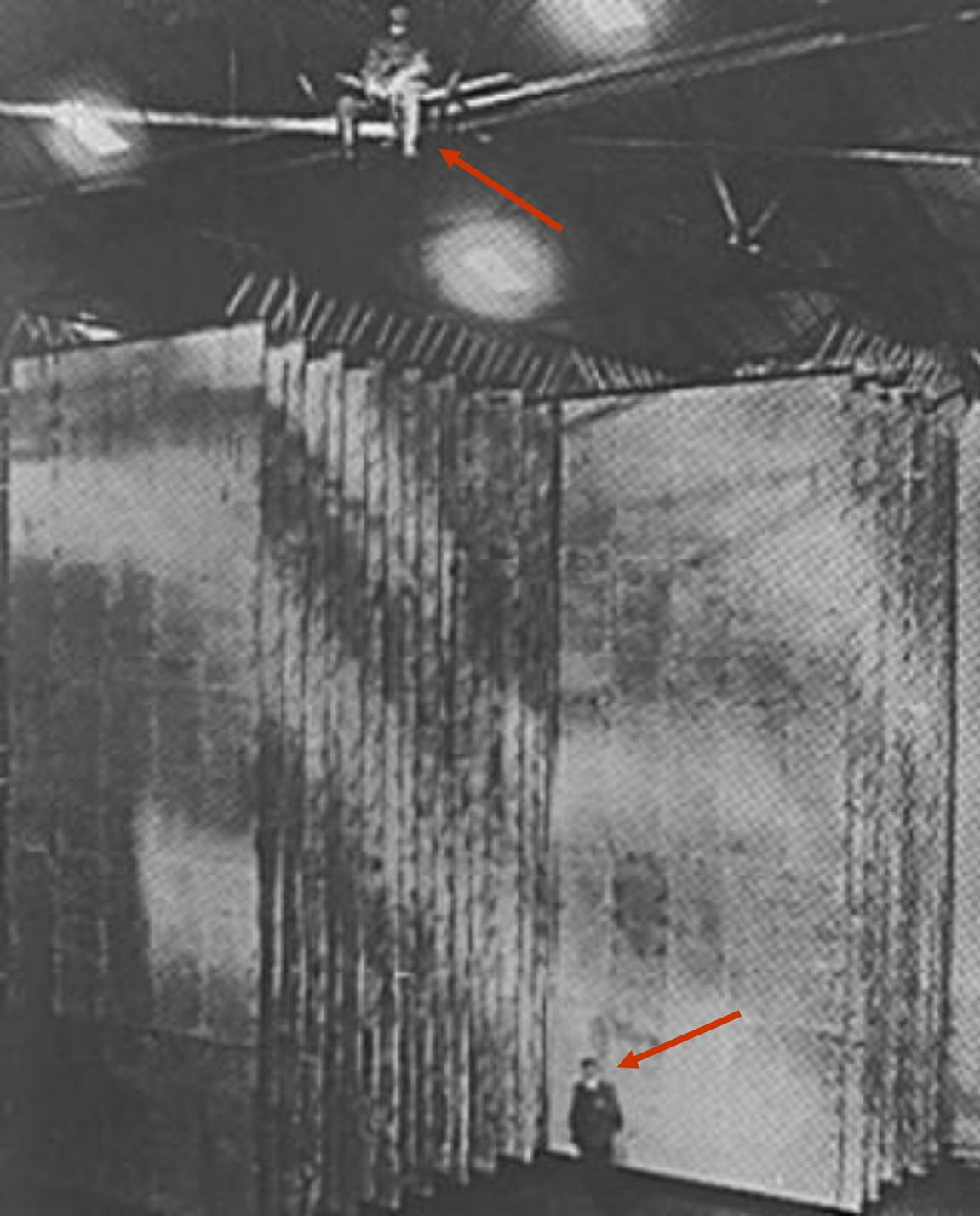
**MICA
DIELECTRIC**



 **SYMBOL**

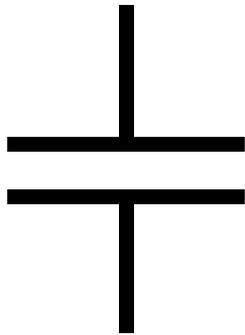
Marconi's Condenser (Capacitor) at Glace Bay, Nova Scotia



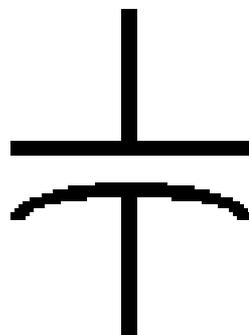


**A similar capacitor at
Marconi's station in
Clifden, Ireland. Note
the size of the two men!**

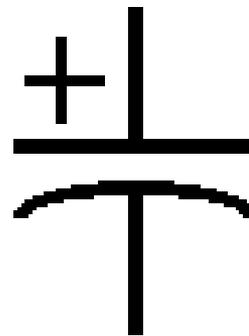
Capacitor Symbols



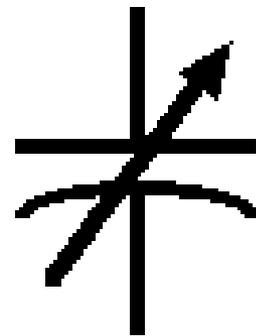
Normal



Normal



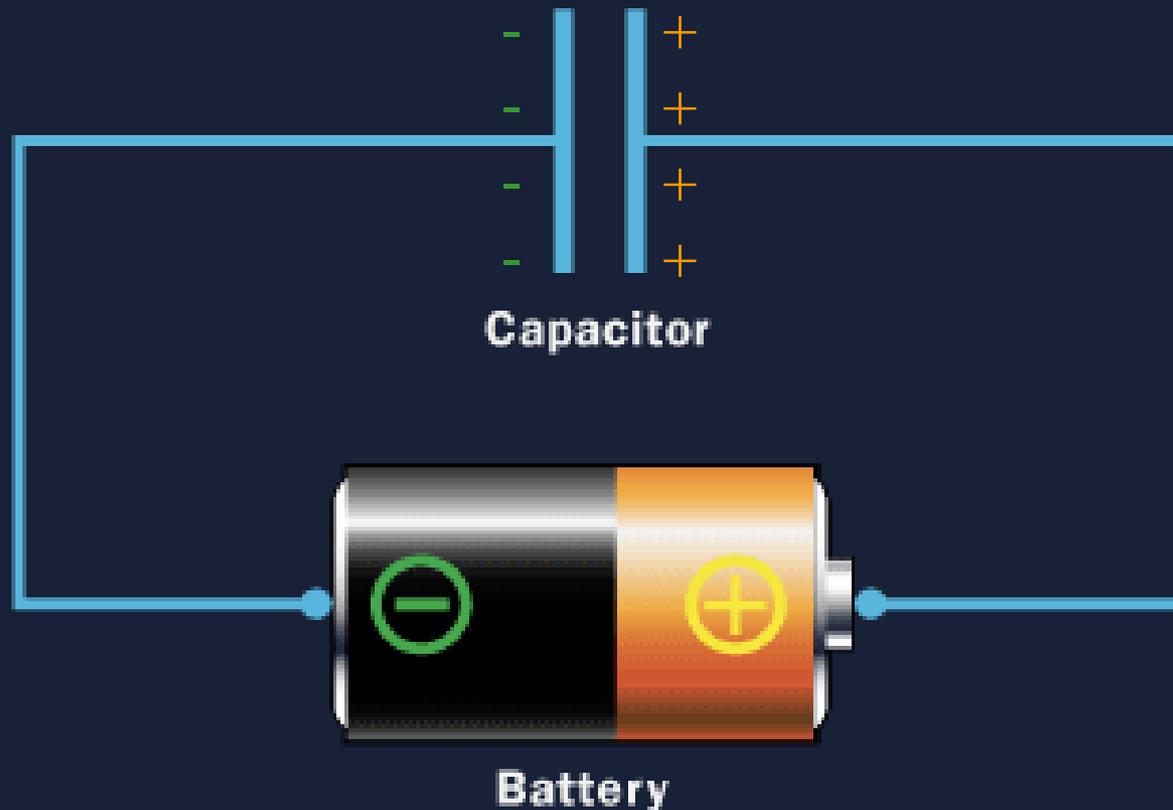
Electrolytic



Variable

Capacitors in a DC Circuit

How Capacitors Work Basic Configuration



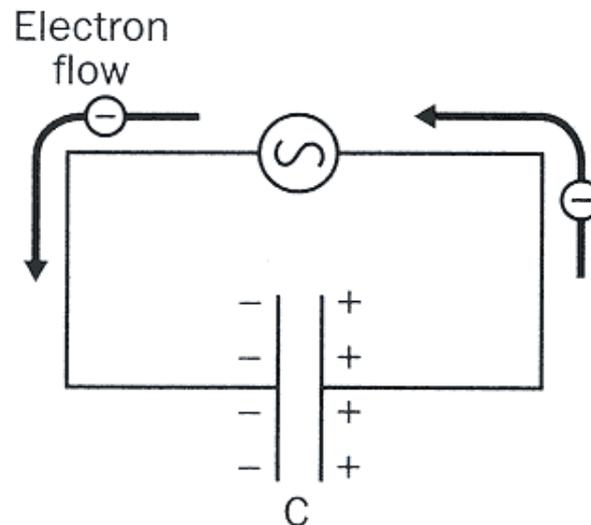
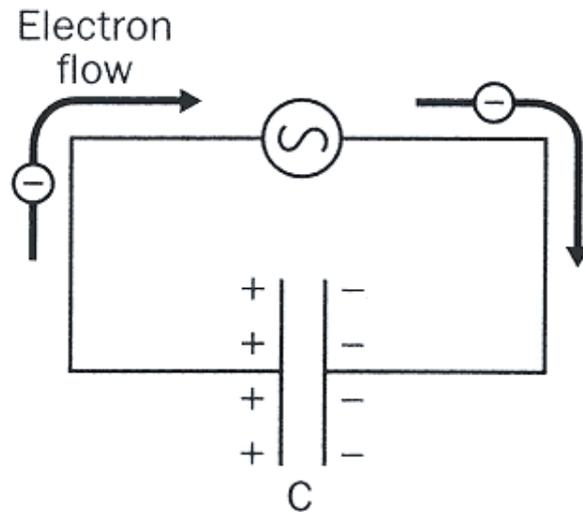
Capacitors in a DC Circuit

- When **first connected** to a battery, **electrons flow** from the **negative battery terminal** to the **capacitor plate** and remain there because the dielectric prevents them from travelling to the opposite plate.
- **Electrons** on the **opposite plate** are **attracted** to the **positive battery terminal**.
- Eventually, the capacitor reaches the **same voltage** as the battery, and **no more electrons flow**.
- The capacitor is then said to be **Charged**.
- **Capacitors block the flow of DC**.

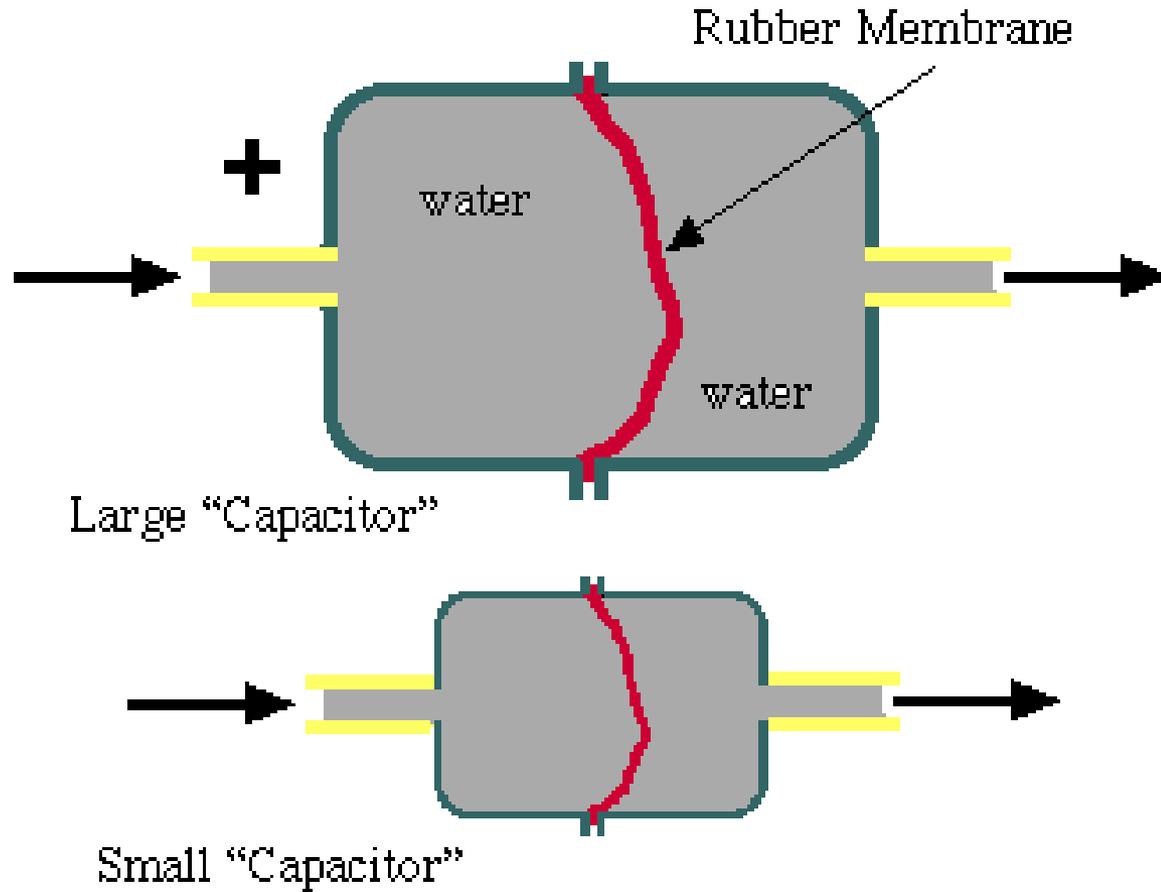
Capacitors in an AC Circuit

- **Current cannot pass through a capacitor but Alternating Current appears to.**
- **If the voltage across the plates of the capacitor is continuously varied, the number of electrons varies.**
- **As the voltage changes then, it appears as though a current is flowing even though electrons do not actually traverse the dielectric.**

Capacitors in an AC Circuit



Water Reservoir Analogy



Electrons

- **Individual electrons** are **too small** to have an effect in everyday electronics, so we use a **larger number** of them to make **practical measurements**.
- The **Coulomb** is equal to **6.3×10^{18} electrons** (6,300,000,000,000,000,000 electrons).
- For example, one Ampere = 1 Coulomb per Second.

The Farad

- The **unit of measure** for capacitance is the **Farad**.
- One **Farad** is the **capacitance** in which a charge of **1 Coulomb** produces a **difference of 1 Volt** between the plates.
- One **Farad** is **much too large** a value for practical circuits however.

Practical Capacitor Units

- Practical capacitors are measured in:
 - **Microfarads**, or **millionths of a Farad**. They are abbreviated as μf , and equal to 1×10^{-6} Farads. The old abbreviation was mfd.
 - **Picofarads**, or **millionth millionths of Farads**, are equal to 1×10^{-12} Farads. They are abbreviated as pf. They were originally called Micromicrofarads, and you may still encounter the abbreviation mmf.

Factors Affecting Capacitance

- **Plate Area:** The larger the plate area, the greater the capacitance.
- **Distance Between the Plates:** The closer together the plates, the greater the capacitance. Of course, it is necessary to prevent the charge from jumping the gap (arcing).
- **Changing the Dielectric:** Greater capacitance can be obtained by using a dielectric other than air. Glass, mica, oil and mylar are some of the materials that have a greater **Dielectric Constant** than air. This is because they **permit the plates to be closer together**, and because they have **electrons that can move slightly**.

Dielectric Materials

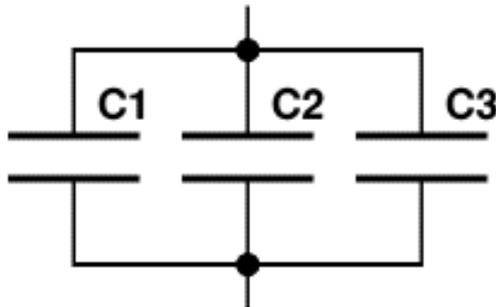
Relative Dielectric Constants of Common Capacitor Dielectric Materials

<i>Material</i>	<i>Dielectric Constant (k)</i>	<i>(O)rganic or (I)norganic</i>
Vacuum	1 (by definition)	
Air	1.0006	
Ruby mica	6.5 - 8.7	
Glass (flint)	10	
Barium titanate (class I)	5 - 450	
Barium titanate (class II)	200 - 12000	
Kraft paper	≈ 2.6	O
Mineral Oil	≈ 2.23	O
Castor Oil	≈ 4.7	O
Halowax	≈ 5.2	O
Chlorinated diphenyl	≈ 5.3	O
Polyisobutylene	≈ 2.2	O
Polytetrafluoroethylene	≈ 2.1	O
Polyethylene terephthalate	≈ 3	O
Polystyrene	≈ 2.6	O
Polycarbonate	≈ 3.1	O
Aluminum oxide	≈ 8.4	
Tantalum pentoxide	≈ 28	
Niobium oxide	≈ 40	
Titanium dioxide	≈ 80	

(Adapted from: Charles A. Harper, *Handbook of Components for Electronics*, p 8-7.)

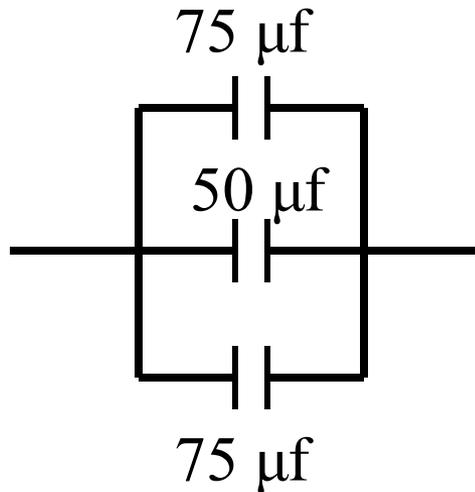
Capacitors in Parallel

- **Capacitors in Parallel add their values.**
- This is because it is **equivalent** to a **single capacitor** with a **greater surface area**.



$$C_T = C1 + C2 + C3$$

Example of Capacitors in Parallel



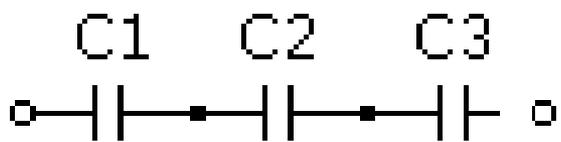
$$C_T = C_1 + C_2 + C_3$$

$$C_T = 75\ \mu\text{f} + 50\ \mu\text{f} + 75\ \mu\text{f}$$

$$C_T = 200\ \mu\text{f}$$

Capacitors in Series

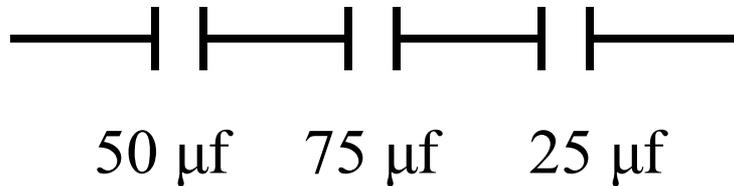
- Capacitors in Series must be treated the same way that resistors and inductors in parallel are treated.



The diagram shows a series circuit with three capacitors labeled C1, C2, and C3. Each capacitor is represented by two parallel vertical lines of unequal length. The capacitors are connected in a single line between two open terminals, one on the left and one on the right.

$$C_T = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}}$$

Example of Capacitors in Series



$$C_T = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}}$$

$$C_T = \frac{1}{\frac{1}{50} + \frac{1}{75} + \frac{1}{25}}$$

$$C_T = \frac{1}{\frac{3}{150} + \frac{2}{150} + \frac{6}{150}}$$

$$C_T = \frac{1}{\frac{11}{150}} = 150/11 \mu\text{f} = 13.64 \mu\text{f}$$

Working Voltage

- All capacitors have a **characteristic working voltage**, sometimes called the **voltage rating**.
- It is the **maximum DC voltage** that the capacitor can **sustain continuously** without **excessive leakage** or **breaking down** – ie: having the charge jump from one plate to the other (**arc**).
- **Arcing will destroy most capacitors**. Electrolytics can **self-heal** after small arcs. Even **air-gap variable capacitors** can be **damaged** by arcing.

Surge Voltage

- **Surge voltage** is the **maximum voltage** that can be **withstood** for a **few seconds** after the start-up of a circuit.
- It was an important parameter for **tube circuits**, but is **not very relevant** for modern solid-state circuits.

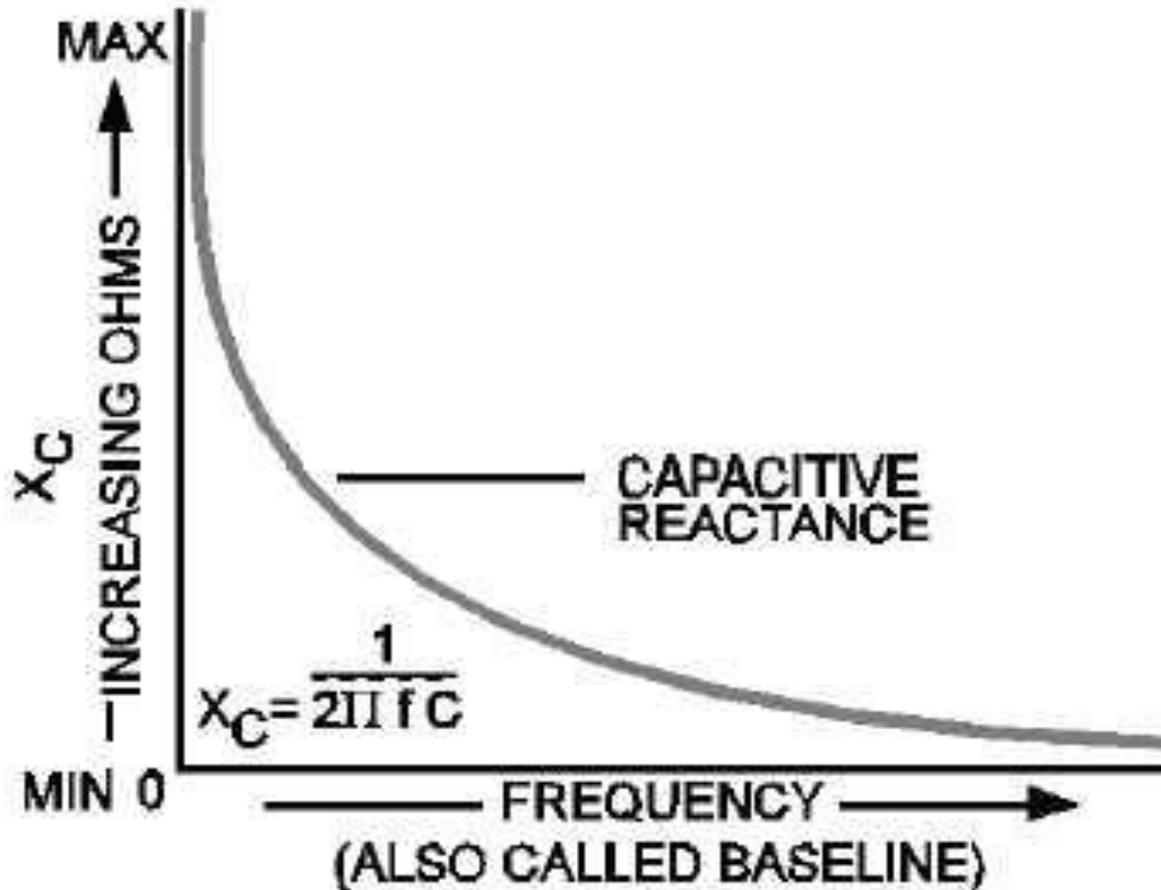
Reactance

- **Reactance is the opposition to the flow of Alternating Current (AC).**
- **Reactance has no effect on the flow of Direct Current (DC).**

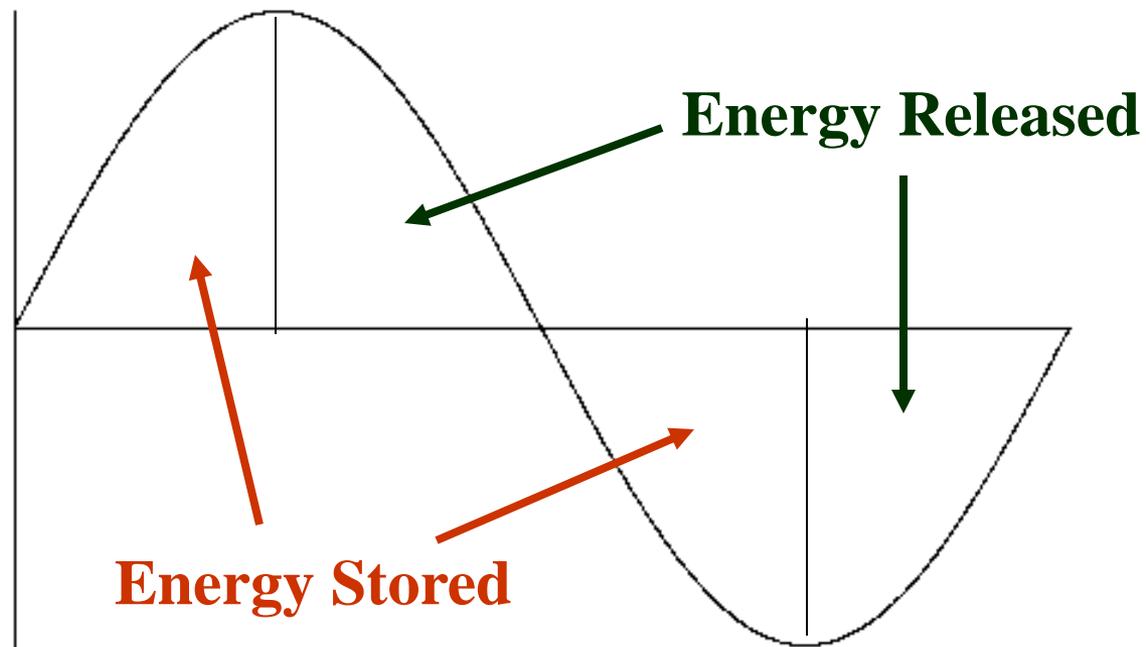
Capacitive Reactance

- **Capacitive Reactance** is the **opposition** to the **flow of AC** by capacitance.
- As the **frequency of the AC** increases, **Capacitive Reactance** decreases.
- The **Symbol for Capacitive Reactance** is X_C .
- X_C is expressed in **ohms**.
- Even though it is expressed in ohms, **power is not dissipated by Reactance!** Energy stored in a capacitor during **one part of the AC cycle** is simply returned to the circuit during the **next part of the cycle!**

Capacitive Reactance



Energy Storage and Release



Capacitive Reactance

$$X_C = \frac{1}{2 \pi f C}$$

- Where:

F = frequency in Hertz

C = capacitance in Farads

$\pi = 3.14$

Capacitive Reactance

$$X_C = \frac{1}{2 \pi f C}$$

However, Farads and Hertz are **cumbersome units**, so we can use other units:

F = frequency in Megahertz (MHz)

C = capacitance in Microfarads (μf)

$\pi = 3.14$

Capacitive Reactance Example 1

- What is the capacitive reactance of a 470 pf capacitor at a frequency of 7.15 MHz?
 - Remember that 470 pf = 0.000470 μf .

$$\begin{aligned}X_C &= \frac{1}{2\pi f C} \\&= \frac{1}{2\pi \times 7.15 \text{ MHz} \times 0.000470 \mu\text{F}} \\&= \frac{1 \Omega}{0.0211} = 47.4 \Omega\end{aligned}$$

Capacitive Reactance Example 2

- What is the capacitive reactance of that same 470 pf capacitor at a frequency of 14.29 MHz?
 - Again, remember that 470 pf = 0.000470 μf.

$$\begin{aligned}X_C &= \frac{1}{2 \pi f C} \\&= \frac{1}{2 \pi \times 14.30 \text{ MHz} \times 0.000470 \text{ } \mu\text{F}} \\&= \frac{1 \Omega}{0.0422} = 23.7 \Omega\end{aligned}$$

Capacitive Reactance Examples

- Note that as the **frequency increased** from 7.15 MHz to 14.290 MHz, the **Capacitive Reactance decreased** from 47.4 ohms to 23.7 ohms.
- **Remember:**
 - **Capacitors block DC;**
 - **Capacitors store energy** as an electrical charge; and
 - **As the frequency increases, capacitive reactance decreases (and vice versa!).**

Questions?

